



Berner Fachhochschule  
Haute école spécialisée bernoise  
Bern University of Applied Sciences

# CS Basics

## 4) Development Process Codification of numbers

*E. Benoist & C. Grothoff*

Fall Term 2018-19

# Development Process

- Binary vs text files
- “Endianness”
- Negative Numbers
- Introduction Floating Point
  - Floating point binary number
  - Fixed point numbers
  - Floating points
- Compilation
  - Assembly Language
- Development process
- Using Make

# Binary vs text files

# Binary vs. text files

## ▶ Different file formats

- ▶ MS Office proprietary file formats: Word, Powerpoint, Excel,
- ▶ Images: jpeg, gif, png
- ▶ Documents: PDF
- ▶ Executable: .EXE, .DLL,
- ▶ Texts: .TXT, XML
- ▶ Program source files: .java, .asm, .cpp, .c,

## ▶ Two big families

- ▶ Binary files (Office, images, executables, ...)
- ▶ Text files (txt, source files, ...)

# Text files

## ▶ Text files

- ▶ ASCII files
- ▶ Each letter is encoded on 1 byte
- ▶ Standardized on 7 bits (for english)
- ▶ 94 visible characters
- ▶ Plus other invisibles like: carriage return, tab, space, bell, ...

## ▶ Text files encoding

- ▶ Different encoding formats for accents
- ▶ Depends on the language: western Europeans, eastern Europeans, ...
- ▶ ISO latin1, UTF-8, ...

## ▶ Letters encoded on more than one byte

- ▶ Unicode permits to encode any language
- ▶ Characters can be coded on more than one byte
- ▶ Arabic, chinese, hebrew, ...

## ▶ How to see text data?

- ▶ Using any text editor or IDE: notepad (windows), gEdit, Emacs, Kate, Eclipse, Net Beans ...

# Binary files

## ▶ **Proprietary file formats**

- ▶ Office files (Word, Excel, Powerpoint, ...)
- ▶ Any application

## ▶ **Executable files**

- ▶ Windows: .EXE,
- ▶ Linux: elf (32 bits), elf64 (64-bit)
- ▶ Contain machine instructions encoded in binary
- ▶ Can be seen with a Hex editor
- ▶ 00h 9Ch 81h 2Eh 3Eh 4Fh ...

## ▶ **Images**

- ▶ tiff: bitmap of an image (high-quality photos)
- ▶ jpeg: format family, lossy compression (for online photos)
- ▶ gif: 8-bit color, animations possible (legacy)
- ▶ png: 32-bit color, no animations, modern lossless compression (screenshots)
- ▶ svg: vector graphics
- ▶ File formats are known, libraries manipulate those binary files

## ▶ **How to see binary data?**

- ▶ using an hex editor

# Example of Binary File

- ▶ **Using the editor Bless**
  - ▶ Can open a file
- ▶ **Two versions**
  - ▶ See the text version on the left (bytes are interpreted as chars)
  - ▶ See the binary version on the right
  - ▶ Can read and edit any binary
  - ▶ You can edit executable files: BUT DO NOT DO IT!

# The binary editor Bless

The screenshot displays the Bless binary editor interface. The title bar shows the file path: `/home/bie1/svn/examples/developmentProcess/eatsyscall/eatsyscall - Bless`. The main window shows a hex dump of the file `eatsyscall`. The hex dump displays the first 8 bytes of the file, which are the ELF magic number: `7F 45 4C 46 02 01 01 00`. The corresponding ASCII characters are `._ELF.....`. Below the hex dump, the editor displays various numerical representations of the selected bytes:

Signed 8 bit:	127	Signed 32 bit:	2135247942	Hexadecimal:	7F 45 4C 46
Unsigned 8 bit:	127	Unsigned 32 bit:	2135247942	Decimal:	127 069 076 070
Signed 16 bit:	32581	Float 32 bit:	2.622539E+38	Octal:	177 105 114 106
Unsigned 16 bit:	32581	Float 64 bit:	1.16843158995565E+305	Binary:	01111111 01000101 01

Additional options and status information:

- Show little endian decoding
- Show unsigned as hexadecimal
- ASCII Text: `ELF`
- Offset: `0x0 / 0x51c`
- Selection: None
- INS



# Interpreting Raw Data

- ▶ **Data is ultimately always encoded in binary**
  - ▶ Common format for text is ASCII
  - ▶ Capital letter "S" is encoded with 53H
  - ▶ Corresponds also to the decimal number 83
  - ▶ In the computer it is a set of 8 bits 01010011B
  - ▶ This pattern can be anything else in a binary computer program
  - ▶ Can be part of an instruction
  - ▶ Can be part of a 16-bit number
  - ▶ Can be part of a 32-bit integer
  - ▶ Can be any data (floating point numbers, objects, address, ...)
- ▶ **Example**
  - ▶ 53H may be interpreted as value 83
  - ▶ 53 61H may be interpreted as the decimal 21'345
  - ▶ 53 61 6D 0A H may be interpreted as the decimal 1'398'893'834
  - ▶ 53 61 6D 0A 77 61 73 0AH may be interpreted as the floating point  $4.54365038640977 \cdot 10^{93}$

“Endianness”

# “Endianness”

- ▶ **Raw data are stored in an array**

- ▶ It can be displayed from right to left (like in French and German)

```
0  1  2  3  4  5  6  7
53H 61H 6DH 0AH 77H 61H 73H 0AH
```

- ▶ It can be displayed from left to right (like in Arabic or Hebrew)

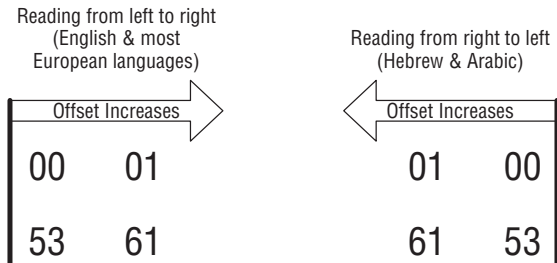
```
7  6  5  4  3  2  1  0
0AH 73H 61H 77H 0AH 6DH 61H 53H
```

- ▶ It remains the same array, and the same number

- ▶ **Which number does this array represents?**

- ▶ 53616D0A7761730AH
- ▶ or 0A7361770A6D6153H

# Difference of order



So is it "53 61H" or "61 53H" ?

**Figure 5-4:** Differences in display order vs. differences in evaluation order

# Convention

## ▶ **Big Endian**

- ▶ numbers are written with the most significant bytes first
- ▶ The first end contains the “big” bytes
- ▶ Number 20A1H is written in the array

```
0   1  
20H A1H
```

## ▶ **Little Endian**

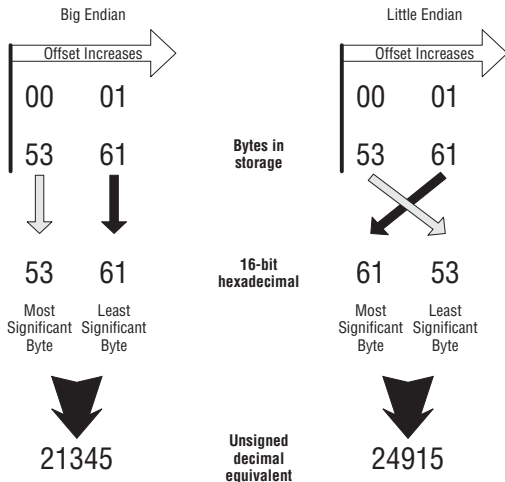
- ▶ numbers are written with the least significant bytes first
- ▶ The first end contains the “little” bytes
- ▶ Number 20A1H is written in the array

```
0   1  
A1H 20H
```

## ▶ **Convention**

- ▶ Intel x86 architecture uses little endian
- ▶ Other processors may use big endian
- ▶ Some processors can even be switched!

# Big Endian vs Little Endian



**Figure 5-5:** Big endian vs. little endian for a 16-bit value

# Negative Numbers

# How to Represent Negative Numbers?

- ▶ **Numbers can be positive**

- ▶ Decimal: 15
- ▶ Stored in memory in hexadecimal: 0FH (on 8 bits)
- ▶ or 0000000FH in 32 bit

- ▶ **And can also be negative**

- ▶ Decimal: -15
- ▶ How should we represent it?



# Different possible representations

## ▶ One bit for the sign

- ▶ The first bit is used for the sign
- ▶ 15 is represented by 000FH on a 16-bit architecture
- ▶ -15 by 800FH

## ▶ Problems:

- ▶ Two representations of 0 exist: 0000H and 8000H
- ▶ Standard (bit-level) addition does not work:  
 $15 + (-15) = 000FH + 800FH = 801EH = -30$

## ▶ One's Complement

- ▶ The negative number is obtained by inverting all the bits
- ▶  $15 = 000FH$
- ▶  $15 = 0000\ 0000\ 0000\ 1111B$
- ▶ -15 is represented by 1111 1111 1111 0000B
- ▶ -15 is represented by FFF0H

## ▶ Problems

- ▶ We have two different representations of 0 0000H and FFFFH
- ▶ Addition does not work  
 $15 = 000FH$  and  $-5 = FFFAH$  The sum is 10009H which makes 9 if we ignore the overflow.

# Two's Complement

- ▶ **Negative numbers are designed to respect addition**
  - ▶  $15 + (-10) = 5$
  - ▶ Idea:  $-X$  is represented by  $2^n - X$  if  $n$  is the number of bits
  - ▶  $X + (-X) = X + 2^n - X = 0 + \text{overflow}$
- ▶ **Example 1**
  - ▶ Notation for -1 on 16 bits
  - ▶  $2^{16} - 1 = 2^{15} + 2^{14} + 2^{13} + 2^{12} + 2^{11} + \dots + 2^1 + 2^0$
  - ▶ -1 is written FFFFH
  - ▶  $1 + (-1) = 10000H$  (overflow is out of the 16 bits)
- ▶ **Example 2**
  - ▶ Notation for -20 on 16 bits
  - ▶  $2^{16} - 20 = \text{Hard to compute}$

# Two's Complement

- ▶ **Method for computing**
  - ▶ Computing the representation of  $-X$
  - ▶ Take the binary representation of  $X$
  - ▶ Invert all the bits of  $X$
  - ▶ Add one
- ▶ **Example 2 (Cont): -20**
  - ▶  $20 = 0000\ 0000\ 0001\ 0100B$
  - ▶ We invert all the bits
  - ▶  $1111\ 1111\ 1110\ 1011B$
  - ▶ We add one
  - ▶  $1111\ 1111\ 1110\ 1100B$
  - ▶ Which can be noted in hexa:  $FFECH$
- ▶ **Example 3: -32**
  - ▶  $32 = 0000\ 0000\ 0010\ 0000B$
  - ▶ it makes  $1111\ 1111\ 1101\ 1111B$
  - ▶ We add one:  $1111\ 1111\ 1110\ 0000B$
  - ▶ Representation =  $FFE0H$

# Introduction Floating Point

# Floating points

At the beginning of computer science, CPUs only provided integer arithmetic. But, for scientific uses, it is necessary to use "real numbers". The data types used to *model*  $\mathbb{R}$ , the real numbers, have special properties that every programmer must know. Most of programming languages (and CPUs and modern GPUs) now support the IEEE 754 norm.

# Floating point binary number

# Convert decimal into binary

- ▶ **For integers**

Divide by 2, and each time remember the remainder

- ▶ **Example: 543**

543		1
271		1
135		1
67		1
33		1
16		0
8		0
4		0
2		0
1		1

$$543 = 100011111B$$

# Convert decimal into binary (Cont.)

- ▶ **For floating points numbers**

For the decimal part: multiply each time by two.

- ▶ **Example: write 0.25 in binary**

0.25 | 0.

0.5 | 0

1 | 1

0.25 = 0.01 B



# Convert decimal into binary (Cont.)

► **Example 2: write 0.1 in binary**

0.1 | 0.

0.2 | 0

0.4 | 0

0.8 | 0

1.6 | 1 -> 0.6

1.2 | 1 -> 0.2

0.4 | 0

0.8 | 0

1.6 | 1 -> 0.6

1.2 | 1 -> 0.2

...

$$0.1 = 0.000110011001100\overline{1100}B$$

# Fixed point numbers

# Fixed point numbers

How to represent the decimal number 41.13 with fixed point arithmetic ? Remember that every number in base  $b$  can be written as:

$$x = \sum_{i=-\infty}^{\infty} d_i b^i$$

where the  $d_i$  are the digits of the numbers and  $b$  the base. So the number  $(41.13)_{10}$  may be written as the sum:

$$41.13 = 4 * 10^1 + 1 * 10^0 + 1 * 10^{-1} + 3 * 10^{-2}$$

# Binary fixed point numbers

As the number 41.13 exist independantly of its representation, it should be possible to write this number using the binary notation.

1. First code the integer part of the number in binary. The decimal value 41 is written  $(101001)_2$ .
2. Compute the decimal part of the number. The value 0.13 is written as  $(0.001000010100011110\dots)_2$

Finally one have that:

$$(41.13)_{10} = (101001.001000010100011110\dots)_2$$

# Some mathematical considerations

- ▶ A rational number may be written either with a finite decimal form or with a periodic form. The property "to be rational" is independent of the base used to write the number.
- ▶ A rational number may have a finite representation in one base and a periodic infinite representation in another base. For example, the number  $(1/3)$  has an infinite periodic representation in base 10, but may be written as  $(0.1)_3$  in base 3. The decimal number  $(0.1)$  has an infinite periodic representation in base 2.  $(0.1)_{10} = (0.0001\overline{1})_2$
- ▶ Irrational numbers have infinite and non-periodic form. These numbers do not have a finite representation in any base.

# Floating points

# Floating points

- ▶ The main drawback of fixed point numbers is that their size depends on their magnitude and their precision. But, in engineering, most of the time, one can reduce the precision as the magnitude augments. Engineers use mostly the concept of *significant digits*.
- ▶ This notation is usually known as "engineering notation" in pocket calculators. For example one can write:
  - ▶  $1.344 \cdot 10^4$  for the number 13440
  - ▶  $2.342 \cdot 10^{-5}$  for the number 0.00002342
  - ▶  $4.430 \cdot 10^0$  for the number 4.430

All these numbers have 4 significant digits (the mantissa). The "scaling" is done by the exponent of 10. The mantissa is always a number between 1.000 and 9.999.

# IEEE 754 representation

The norm IEEE 754 used for binary representation of floating point numbers is based on the same idea.

- ▶ the mantissa is a number between 1.0 and 2.0 (smaller than 2.0). The number of significant digits is given by the type of floating point numbers used (`float`, `double`)
- ▶ The exponent is now an exponent of 2. It may take positive or negative values.
- ▶ The norm introduces special values (negative infinity, positive infinity, not a number, zero) that would be studied later in this chapter.
- ▶ The IEEE 754 norm introduce also rounding rules for numbers.



# Floating numbers: a first example

For this example, the number is coded on 32 bits, which correspond to the `float` format of Java for example.

How would be the decimal number 0.5 represented ?

$(0.5)_{10} = 0 \ 0111 \ 1110 \ 0000 \ 0000 \ 0000 \ 0000 \ 0000 \ 000$

- ▶ The first bit (red) is the sign bit. Its value is 0 for positive number and 1 for negative numbers.
- ▶ The second group (blue) is the exponent. Here one have the value -1. The exponent is coded as an unsigned integer with a bias. The value of the exponent is computed by the formula `valueOfTheField - 127`.
- ▶ The third field contains the mantissa which here is 0 (there is a hidden bit!)

# The exponent

- ▶ As explained above, the exponent is coded as an unsigned integer (no two-complement) with a bias which correspond to the half of the magnitude of the exponent. For example if the exponent is coded on 8 bits, its magnitude is  $2^8 = 256$  and the bias would be  $2^{8-1} - 1 = 127$
- ▶ Some values of the exponent are reserved to represent special values of numbers. These values are  $(00)_{16}$  and  $(FF)_{16}$ .

# The mantissa

- ▶ As explained before the mantissa contain a value into the interval  $1 \leq \text{mantissa} < 2$ . Remark that the value 2 does not belong the the interval.
- ▶ On this interval, one may see that the first bit is always 1 and therefore is not represented explicitly (it is called the **hidden bit**). The norm IEEE 754 defines a special format (called denormalized numbers) to change this behavior. This hidden bit causes the value of the mantissa to be 0 in the example above.
- ▶ The bits of the mantissa represent the sum of negative powers of 2.

# Special values

As it was mentioned above, the norm IEEE 754 introduces some special values.

Exponent	Mantissa	Value	Description
$00_{16}$	$= 0$	0	Zero
$00_{16}$	$\neq 0$	$\pm 0.m \cdot 2^{-126}$	Denormalized
$01_{16}$ to $FE_{16}$	any	$\pm 1.m \cdot 2^{e-127}$	Normalized
$FF_{16}$	$= 0$	$\pm \infty$	$\pm$ Infinity
$FF_{16}$	$\neq 0$	NaN	Not a Number

Remark: There are two possible representations for the value 0 (+0 and -0)

# Comments on special values

- ▶ The value zero needs a special representation as it is not possible to represent it using the standard model (see example above)
- ▶ Denormalized values are not provided by standard programming language. Be extremely careful if you need them (performance issues)
- ▶ Infinity represents numbers whose magnitude may not be represented into the model. Arithmetical operations where one operand is infinity are well defined by IEEE norm (see next slide).
- ▶ Operations where an operand has the value NaN cause an error.

# Operations with infinity

Operation	Result
$x / \pm \infty$	0
$\pm \infty \cdot \pm \infty$	$\pm \infty$
$\pm \text{ non zero} / 0$	$\pm \infty$
$\infty + \infty$	$\infty$
$\pm 0 / \pm 0$	NaN
$\infty - \infty$	NaN
$\pm \infty / \pm \infty$	NaN
$\pm \infty \cdot 0$	NaN

# Different types of floating points

The norm IEEE 754 defines two types of floating points: single precision and double precision. They differ only by the number of bits used to store them

	Sign	Exponent	Mantissa	Bias
Single precision	1	8	23	127
Double precision	1	11	52	1023

# Rounding

IEEE standard has four different rounding modes. The first is the default, the others are called *directed rounding*.

- ▶ **Round to nearest** : rounds to the nearest value. If the number fall in the midway it is rounded to the nearest value with an even (zero) least significant bit.
- ▶ **Round toward 0** - directed rounding towards 0
- ▶ **Round toward  $+\infty$**
- ▶ **Round toward  $-\infty$**



# Example of rounding

Rounding mode	+11.5	+12.5	-11.5	-12.5
to nearest, ties to even	+12.0	+12.0	-12.0	-12.0
to nearest, ties away from zero	+12.0	+13.0	-12.0	-13.0
toward 0	+11.0	+12.0	-11.0	-12.0
toward $+\infty$	+12.0	+13.0	-11.0	-12.0
toward $-\infty$	+11.0	+12.0	-12.0	-13.0

# Compilation

# Compilation

- ▶ **Text In, Machine code Out**
- ▶ **Compiler**
  - ▶ A program translator that reads source code (C, C++, Pascal, ...)
  - ▶ writes out object code files
- ▶ **Assembler**
  - ▶ A special type of compiler
  - ▶ Designed for “Assembly Language”
  - ▶ Characteristic: *Total control over the object code*

# Assembly Language

# Assembly Language

- ▶ **Machine instructions are written in a text file**
  - ▶ Readable by humans
- ▶ **Mnemonic**
  - ▶ Every machine instruction has a “mnemonic”
- ▶ **Example**
  - ▶ Machine instruction 9CH
  - ▶ Pushes the flags registers onto the stack
  - ▶ Mnemonic: PUSHF
  - ▶ Easier to remember than 9CH

# Assembly source code

## ▶ Arrangement of mnemonics

```
mov eax,4           ; 04H specifies the sys_write kernel call
mov ebx,1           ; 01H specifies stdout
mov ecx,Message     ; Load starting address of display string into ECX
mov edx,MessageLength ; Load the number of chars to display into EDX
int 80H             ; Make the kernel call
```

## ▶ Mnemonic + operands = instruction

# Comments

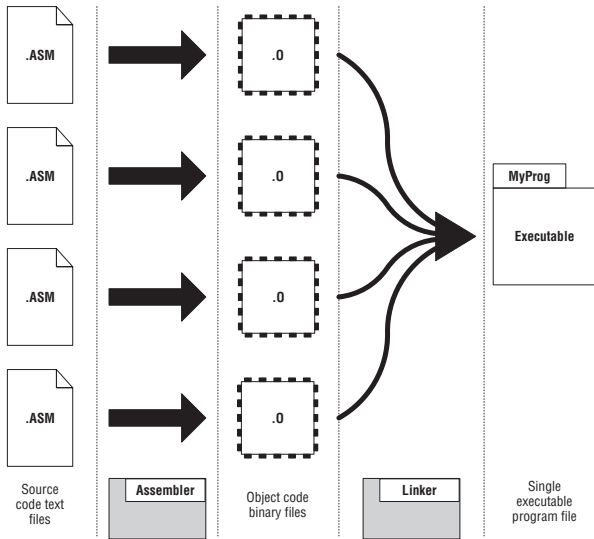
- ▶ **Comments start with “;”**
  - ▶ You can write anything after the “;”
  - ▶ Each line should have comments
- ▶ **Assembly is not Java**
  - ▶ Need to comment any action
  - ▶ Very difficult to read
- ▶ **Beware “write-only” source code**
  - ▶ You write code in October
  - ▶ You start to learn C in November
  - ▶ You need to understand your code in January
  - ▶ Impossible to remember the meaning of your program
- ▶ **Solution: comment each and every line in assembly**

# Compilation

- ▶ **Assembler**
  - ▶ Transforms assembly language source into an *object module*
- ▶ **Object code files can not be run**
  - ▶ They need to be linked to other object code
- ▶ **One file containing all functionalities would be to large**
  - ▶ Source is split in many files
  - ▶ Each is responsible for some functionaly



# The assembler and the linker



**Figure 5-8:** The assembler and linker

# Object modules

- ▶ **The linker seems superfluous**
  - ▶ At the beginning: only one single file
- ▶ **Some parts of programs may be reused**
  - ▶ Routines
  - ▶ Libraries of functions
  - ▶ Tested once, reused many times
- ▶ **Object module contains**
  - ▶ Program code, including named procedures
  - ▶ References to named procedures lying outside the module
  - ▶ Named data objects such as numbers and strings with predefined values
  - ▶ Named data objects that are just empty space “place holders”
  - ▶ Reference to data objects lying outside the module
  - ▶ Debugging information
  - ▶ Other, less common odds and ends that help the linker create the executable file

# Development process

# Development process

- ▶ **Create your assembly language source**
- ▶ **Use your assembler to create an object module from your source file**
- ▶ **Use your linker to create a program file**
- ▶ **Test the program by running it inside a debugger**
- ▶ **Update your code (and repeat the process)**

# Development process in Assembler

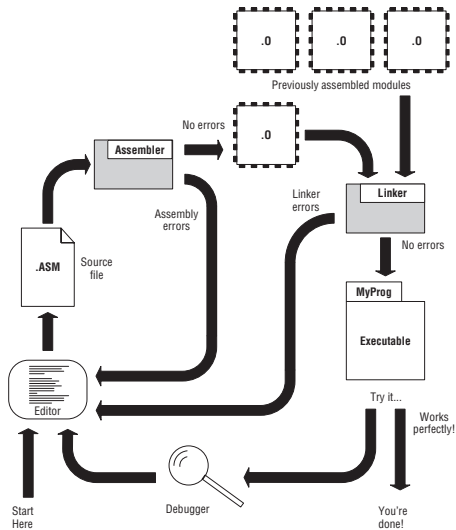


Figure 5-9: The assembly language development process

# Development process I

- ▶ **Edit the source code file**

- ▶ Using an editor: gEdit for GNU/Linux for instance
- ▶ Save file as a .asm file
- ▶ Do not forget comments!

- ▶ **Assemble your file**

- ▶ Transform your .asm into a .o
- ▶ Generates compilation errors

- ▶ **Back to the editor**

- ▶ Use error messages to find your syntax errors
- ▶ and try to re-compile

- ▶ **Compilation warning messages**

- ▶ *Ignore a warning message only if you know what it means*
- ▶ Normally: try to fix it

# Development process II

## ▶ **Link your files**

- ▶ Input: some .o files
- ▶ Output: an executable program
- ▶ Linker: ld (like load)

## ▶ **Linker Errors**

- ▶ Reference to external functions are not right
- ▶ Mostly it is YOUR fault
- ▶ try to read and understand messages

## ▶ **Testing the executable file**

- ▶ Start the program
- ▶ Produces an error (crash of the program)
- ▶ Or a bug (do not do what you want to)

# Development process III

- ▶ **Debugging using a debugger**
  - ▶ Designed to help locate and identify bugs
- ▶ **Execute machine instructions**
  - ▶ One at a time
  - ▶ See the different registers or memory after each step



# Compilation instruction

## ▶ Compile the file `eatsyscall.asm`

```
myname@mymachine:~$ cd csbasics/assembly/↵
→ eatsyscall
myname@mymachine:~$ nasm -f ELF64 -g -F ↵
→ dwarf eatsyscall.asm -o eatsyscall.o
myname@mymachine:~$ ls
eatsyscall.asm      eatsyscall.o
```

- ▶ `nasm` invokes the assembler
- ▶ `-f ELF64` the `.o` file will be generated in the “elf” format (64-bit)
- ▶ `-g` debug information is to be included in the `.o` file
- ▶ `-F dwarf` debug information is to be generated in the “dwarf” format (for use in DDD)
- ▶ `eatsyscall.asm` is the source file
- ▶ `-o eatsyscall.o` output is `eatsyscall.o`

# Link your program with LD

## ▶ Link the file eatsyscall.o

```
myname@mymachine:~$ ld -o eatsyscall ↘  
→eatsyscall.o  
myname@mymachine:~$ ls  
eatsyscall.asm      eatsyscall.o      ↘  
→eatsyscall
```

- ▶ ld is the linker
- ▶ -o eatsyscall the output file is the executable file eatsyscall if you do not provide an output file, the file a.out is generated
- ▶ eatsyscall.o the input file

## ▶ Test the file

```
myname@mymachine:~$ ./eatsyscall  
Eat at Joe's!
```

# Debugger

- ▶ **Invoke the debugger**

- ▶ KDE App starting in a window

```
myname@mymachine:~$ kdbg eatsyscall
```

- ▶ Application more complex to deal with

```
myname@mymachine:~$ ddd eatsyscall
```

- ▶ **Watch the program execute step by step**

- ▶ See the changes in each register
- ▶ See the changes in memory

# Using Make

# Using Make

- ▶ **Make is used for organizing the compilation of files**
  - ▶ In the C world (C, asm, C++)
- ▶ **Developer writes a Makefile**
  - ▶ Contain the dependencies of files to be compiled, and linked
  - ▶ Recompile files only if needed
- ▶ **Similar to ANT for Java**

# Dependences

- ▶ **Object files depend on source files**
  - ▶ If the source file (assembler, C, C++) is newer, the .o must be recompiled
  - ▶ Compare date of .o with date of .asm, .c or .cpp
- ▶ **Executable depends on object files**
  - ▶ The linker will have to relink the files if one has changed.
- ▶ **Programmer must define rules**
  - ▶ For each file generated, list the file it depends on
  - ▶ If not clear, give the command line for its generation

# Rules

- ▶ **One executable depends on one object (linking is implicit)**

```
eatsyscall: eatsyscall.o
```

- ▶ **One executable depends on many objects (linking is implicit)**

```
linkbase: linkbase.o linkparse.o ↘  
→linkfile.o
```

- ▶ **Linking can also be explicit**

```
eatsyscall: eatsyscall.o  
    ld -o eatsyscall eatsyscall.o
```

Second line must be indented by a single tab character at the beginning of the line

# Compiling a trivial asm file

- ▶ **Need two steps**

- ▶ First compile the `.asm` file into a `.o` file
- ▶ Then link the `.o` file into an executable binary
- ▶ The order of the rules is not the order of the execution of the steps. It represents dependencies

```
eatsyscall: eatsyscall.o
    ld -o eatsyscall eatsyscall.o
eatsyscall.o: eatsyscall.asm
    nasm -f ELF64 -g -F dwarf eatsyscall.asm
```



# Conclusion

- ▶ **Encodage**

- ▶ Little Endian: the first “End” contains the “little” bits
- ▶ The light-weight bits are first

- ▶ **Real numbers**

- ▶ Are composed of a mantissa and an exponent

- ▶ **Compiling**

- ▶ First compile `.asm` into `.o`
- ▶ Link all `.o` files into one executable
- ▶ Process made easy by `make`

# Bibliography

- ▶ This course corresponds to chapter 5 and 6 of the course book:  
**Assembly Language Step by Step (3rd Edition)**
- ▶ Course of CPVR speciality: Introduction to Computer perception and virtual reality,  
Claude Fuhrer BFH-TI (FRC1)